Integration of behavior planning and reinforcement learning in robotics

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Intro: behavior planning

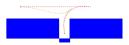
Behavior planning in robotics

- The agent prepare the sequence of high-level actions
- The agent do not interact with environment during planning process
- The set of actions is predefined
- The agent uses a certain knowledge representation technique

Kim, B., Wang, Z., Kaelbling, L.P., Lozano-Pérez, T.: Learning to guide task and motion planning using score-space representation. International Journal of Robotics Research. 38, 793–812 (2019).









Cognitive Dynamic

Behavior planning in STRIPS



• State – a certain set of facts, closed atomic formulas of the predicate calculus language of the first order, represents a model of the environment in which an intelligent agent acts, an example:

 $s = \{ATR(a), AT(B, b), AT(C, c), \forall u \forall x \forall y ((AT(u, x) \land (x \neq y)) \rightarrow \neg AT(u, y))\}$

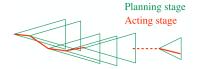
- ATR(a) robot at the room a,
- AT(B, b) box B at the room b
- The agent's actions are described using rules: both in the sets of added and deleted facts, only atomic formulas without functional symbols are used, for example:
 - Rule name: Push(x, y, z)
 - Condition: $C(R) = \{ATR(y), AT(x, y)\}$
 - Added facts: $A(R) = \{ATR(z), AT(x, z)\}$
 - Deleted facts: $D(R) = \{ATR(y), AT(x, y)\}$
- The agent's execution of an action is reduced to the application of a rule ot modification of the state s ^{R,θ}→ s', where θ – substitution of domain elements instead of variables:

$$s' = (s \setminus (D(R)\theta)) \cup (A(R)\theta))$$

Domain and planning task

- Planning domain P = (s₀, ΣR), where s₀ initial state, ΣR finite set of rules
- If G agent's target fact, or goal, than planning task $T=\langle P,G
 angle$
- The solution of the planning task *T* is to find a plan that achieves the goal *G*
- Plan is a sequence of states s_0, \ldots, s_n , sequence of rules R_1, \ldots, R_n and sequence of substitutions $\theta_1, \ldots, \theta_n$, such that G feasible in s_n , length of the plan is equal n:

$$Plan: s_0 \xrightarrow{R_1, \theta_1} s_1 \xrightarrow{R_2, \theta_2} s_2 \dots \xrightarrow{R_n, \theta_n} s_n$$

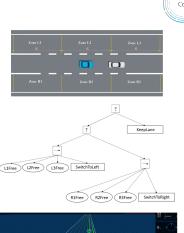


Ghallab, M., Nau, D., Traverso, P.: Automated Planning and Acting. Automated Planning and Acting. (2016).

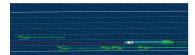
Overtaking scenario in Apollo

- Maneuver planning in autonomous driving – predefined scenarios
- Behavior tree search space representation
- We can decode BT as string /(&(cegY)&(ikmZ)X)
- Idea apply genetic programming to force the search over BT variants

Jamal, M., Panov, A.I.: Adaptive maneuver planning for autonomous vehicles using behavior tree on Apollo Platform. In: Bramer, M. and Ellis, R. (eds.) Artificial Intelligence XXXVIII. SGAI 2021. Lecture Notes in Computer Science. (2021).



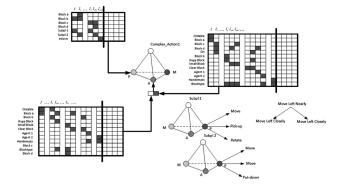






Planning in sign-based world model





- Sign-based world model as special case of knowledge representation
- Human-robot interaction and transparent decision making
- Multi-agent planning and role distribution
- Case-based hierarchical planning

Kiselev, G., Panov, A.: Hierarchical Psychologically Inspired Planning for Human-Robot Interaction Tasks. In: Ronzhin, A., Rigoll, G., and Meshcheryakov, R. (eds.) Interactive Collaborative Robotics. ICR 2019. Lecture Notes in Computer Science. pp. 150-160. Springer (2019).

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Intro: reinforcement learning

Learning and adaptation for intelligent agents





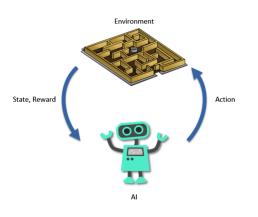




- Sufficient properties of the intelligent agent: adaptation and autonomy
- Robotic applications: we can replace handcrafted and analytical methods with learnable models

Reinforcement learning: preliminaries





- Split the environment and the agent the source and acceptor of the data are explicitly present in the statement of the problem
- There is no teacher or supervisor, i.e. the error of the model is not set explicitly, but is indirectly transmitted through a reward
- Feedback from the environment may arrive with a delay
- The time parameter has a special meaning sequential data
- The agent's actions affect the incoming data in the future

Richard S. Sutton and Andrew G. Barto. Reinforcement Learning. An Introduction. 2018. Laura Graesser and Wah Loon Keng. Foundations of Deep Reinforcement Learning: Theory and Practice in Python. 2020.

Markov decision process



Lets $\langle S, A, T, R, G, \gamma \rangle$ – Markov decision process, where:

- S state space,
- A the set of actions (discrete or continuous),
- $T: S \times A \rightarrow S$ transition function,
- $R: S \times A \rightarrow \mathbb{R}$ reward function,
- $G: S \to \{0,1\}$ goal function defining termination state,
- γ discounting factor.

The agent acts using policy function that maps S to A (stochastic or determined):

$$\pi: S \to A$$

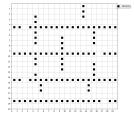
Agent's goal – maximize expected return by policy π :

$$\mathbb{E}_{\pi}\sum_{t=0}^{\tau}\gamma^{t}R(s_{t},a_{t})$$

Q-function and grid example



- E = (M, R) environment, where M grid map, R(p_s, p_f) - reward generator,
- $a_t = p_t \rightarrow p_{t+1}$ movement actions,
- s_t ∈ R^{(2d)²} -agent's observations (not the same as state)



Lets $Q^*(s_t, a_t) = \max_{\pi} \mathbb{E}[R|s_t, a_t, \pi]$ - optimal value function, then given the definition R we obtain the following Bellman equation:

$$Q^*(s,a) = \mathbb{E}_{s_t \sim E}\left[r_t + \gamma \max_{a_t} Q^*(s_t,a_t) | s,a\right]$$

Value function approximation



To solve the Bellman equation by iterative methods, various approximations of the function are used $Q^*(s, a)$: $Q(s, a; \theta) \approx Q^*(s, a)$.

During the training process, the θ parameters are adjusted as a result of minimizing the loss function $L(\theta)$:

$$L_{i}(\theta_{i}) = \mathbb{E}_{s,a \sim \rho(\cdot)} \left[\left(\begin{array}{c} y_{i} \\ y_{i} \end{array} - Q(s,a;\theta_{i}) \right)^{2} \right],$$
$$y_{i} = \mathbb{E}_{s_{t} \sim E} \left[r_{t} + \gamma \max_{a_{t}} Q(s_{t},a_{t};\theta_{i-1}) | s, a \right]$$

$$\nabla_{\theta_i} L_i(\theta_i) = \mathbb{E}_{s, a \sim \rho(\cdot); s_t \sim E} \left[(r_t + \gamma \max_{a_t} Q(s_t, a_t; \theta_{i-1}) - Q(s, a; \theta_i)) \nabla_{\theta_i} Q(s, a; \theta_i) \right].$$

Current state-of-the-art in RL



- Model-free success cases: Atari, OpenAl Five, AlphaStar etc.
- Problems with sample-efficiency:
 - DQN , A3C and Rainbow DQN have been applied to ATARI 2600 games and require from 44 to over 200 million frames (200 to over 900 hours) to achieve human-level performance
 - OpenAl Five utilizes 11,000+ years of Dota 2 gameplay
 - AlphaZero uses 4.9 million games of self-play in Go
 - AlphaStar uses 200 years of Starcraft II gameplay
- Low robustness to task-irrelevant perturbations
- Promising approaches: hierarchical methods, demonstration and imitation learning, and more effective world models



Silver D. et al. A general reinforcement learning algorithm that masters chess, shogi, and Go through self-play. Science. 2018. Berner C. et al. Dota 2 with Large Scale Deep Reinforcement Learning. 2019. Vinyals O. et al. Alphastar: Mastering the real-time strategy game Starcraft II. DeepMind blog. 2019.

Planning and learning

Planning and learning in Atari





• Learning:

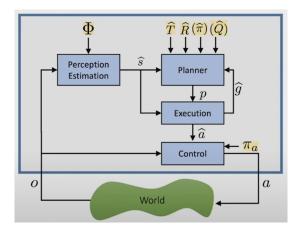
- the agent does not know game rules,
- interactive learning in the environment,
- discrete actions and raw pixels as a state

Planning:

- the agent knows game rules ideal world model,
- the agent can star simulator,
- planning without interaction with the environment tree search

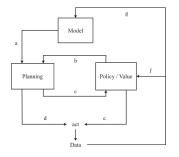
Some realization of integrated models





Common scheme for planning and learning



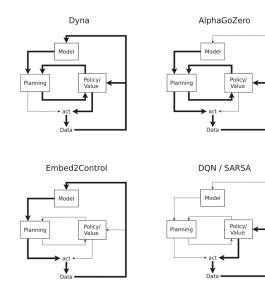


- a plan over a learned model,
- b use information from a policy/value network to improve the planning procedure,
- c use the result from planning as training targets for a policy/value,
- d act in the real world based on the planning outcome,
- e act in the real world based on a policy/value function,
- f generate training targets for the policy/value based on real world data,
- g generate training targets for the model based on real world data

Yi, Fengji, Wenlong Fu, and Huan Liang. Model-based reinforcement learning: A survey. 2020.

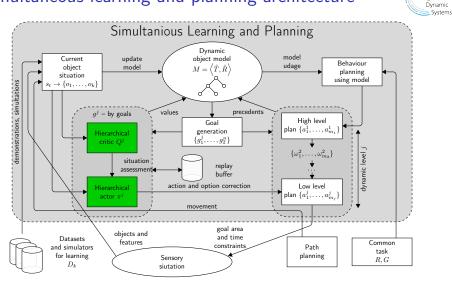
Some realization of integrated models





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Simultaneous learning and planning architecture



Panov A.I. Simultaneous Learning and Planning in Hierarchical Control System for the Cognitive Agent. 2021.

Cognitive

Integration options



Sequentional: planning one part of task and use learning policy for another part – not in the focus of current talk

Hierarchical: planning over skills and learn skill policy

Hybrid: on-line switching between planner and learning policy

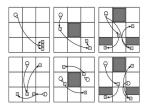
- On-model: planning on learnable model "MCTS-based"
 - Dreamy: learn the policy on planned trajectories-"Dreamer-based"

Aitygulov, E., Kiselev, G., Panov, A.I.: Task and Spatial Planning by the Cognitive Agent with Human-like Knowledge Representation. In: Ronzhin, A., Rigoll, G., and Meshcheryakov, R. (eds.) Interactive Collaborative Robotics. ICR 2018. Lecture Notes in Computer Science. pp. 1–12. Springer (2018).

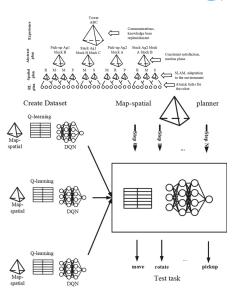
Hierarchical integration

Learning of spatial actions

- Hierarchical planning MAP planner
- Blocks World environment
- Actions: spatial movements and object manipulations
- Using Q-learning to find a low-level policy



Kiselev, G., Panov, A.I.: Q-learning of Spatial Actions for Hierarchical Planner of Cognitive Agents. In: Ronzhin, A., Rigoll, G., and Meshcheryakov, R. (eds.) Interactive Collaborative Robotics. ICR 2020. Lecture Notes in Computer Science. pp. 160–169. Springer International Publishing (2020).

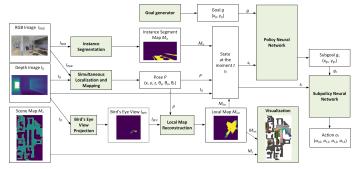




Cognitive Dynamic System

Reinforcement learning in robot navigation task





- Object navigation task: set of object classes
- Semantic scene representation: object segmentation
- End-to-end reinforcement learning approach

Staroverov A. et al. Real-Time Object Navigation with Deep Neural Networks and Hierarchical Reinforcement Learning // IEEE Access. 2020.

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OO-MB RL

6M

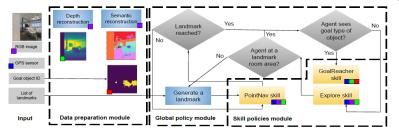
SPL - PPO - RVD - HiSnay

0.6

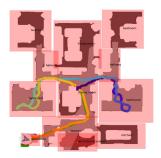
0.4

21/

Hierarchical policy optimization with landmarks



- Task formulation with landmarks (brief information about rooms)
- Dividing policy into a set of skills and hierarchical structure
- Smooth policy transfer to new real-world scenes



Staroverov A., Panov A. I. Landmark Policy Optimization for Object Navigation Task. ArXiv:2109.09512.

Cognitive Dynamic

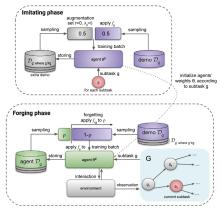
Robotic realization of HLPO





Staroverov A., Panov A. I. Landmark Policy Optimization for Object Navigation Task. ArXiv:2109.09512.

Forger as object-oriented skill formation from demonstration



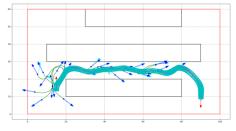
- Forgetting mechanism for learning from demonstrations
- High-level expert plan extraction from demonstrations

Skrynnik A. et al. Forgetful experience replay in hierarchical reinforcement learning from expert demonstrations. Knowledge-Based Systems. 2021.

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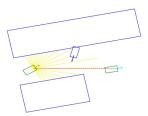


Policy Optimization to Learn Adaptive Motion Primitives





- Path planning with kinodynamic constraints
- Learnable steering function for sample-based planner
- Curriculum PPO on specially collected dataset in simulator

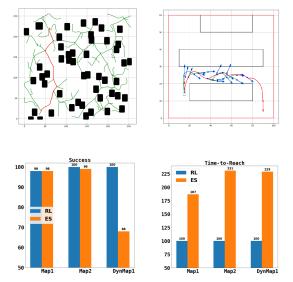


Angulo, B., Yakovlev, K., Panov, A.I.: Policy Optimization to Learn Adaptive Motion Primitives in Path Planning with Dynamic Obstacles (2021).

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POLAMP preliminary results



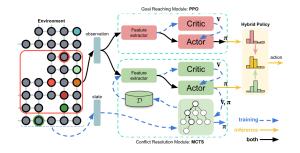


Angulo, B., Yakovlev, K., Panov, A.I.: Policy Optimization to Learn Adaptive Motion Primitives in Path Planning with Dynamic Obstacles (2021).

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Hybrid policy optimization: decomposition





- Multi-agent pathfinding setting
- Partial observations of the grid world
- Two subproblems: goal reaching and conflict resolution

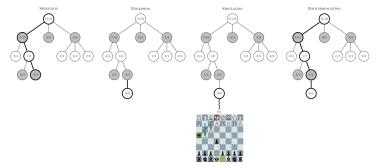


Skrynnik, A., Yakovleva, A., Davydov, V., Yakovlev, K., Panov, A.I.: Hybrid Policy Learning for Multi-Agent Pathfinding. IEEE Access. 9, 126034–126047 (2021).

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Hybrid policy optimization: MCTS and results





Individual Success Rate (std)						
	Conflict resolution			Goal reaching	Hybrid Policy	
config	QMIX	MCTS	QMIX+MCTS	cPPO	QMIX+cPPO	MCTS+cPPO
id1-coop08x08-02 id2-coop08x08-04 id3-coop16x16-08 id4-coop32x32-16	$\begin{array}{c} 0.397 \ (0.015) \\ 0.428 \ (0.019) \\ 0.330 \ (0.003) \\ 0.220 \ (0.002) \end{array}$	$\begin{array}{c} 0.377 \ (0.027) \\ 0.307 \ (0.004) \\ 0.248 \ (0.004) \\ 0.173 \ (0.002) \end{array}$	$\begin{array}{c} 0.517 \ (0.006) \\ 0.527 \ (0.005) \\ 0.358 \ (0.004) \\ 0.271 \ (0.001) \end{array}$	$\begin{array}{c} 0.532 \ (0.021) \\ 0.497 \ (0.022) \\ 0.421 \ (0.004) \\ 0.364 \ (0.004) \end{array}$	0.607 (0.012) 0.578 (0.008) 0.450 (0.008) 0.367 (0.001)	0.607 (0.01) 0.559 (0.014) 0.443 (0.005) 0.381 (0.005)
id5-rnd08x08-02 id6-rnd08x08-04 id7-rnd16x16-08 id8-rnd32x32-16	$\begin{array}{c} 0.780 \ (0.018) \\ 0.768 \ (0.011) \\ 0.565 \ (0.011) \\ 0.329 \ (0.002) \end{array}$	$\begin{array}{c} 0.715 \ (0.011) \\ 0.655 \ (0.011) \\ 0.486 \ (0.006) \\ 0.246 \ (0.005) \end{array}$	$\begin{array}{c} 0.855 \ (0.007) \\ 0.837 \ (0.007) \\ 0.640 \ (0.001) \\ 0.416 \ (0.003) \end{array}$	0.893 (0.008) 0.852 (0.007) 0.718 (0.004) 0.565 (0.004)	0.883 (0.002) 0.885 (0.005) 0.735 (0.007) 0.562 (0.001)	0.880 (0.004) 0.852 (0.001) 0.730 (0.003) 0.586 (0.008)

Skrynnik, A., Yakovleva, A., Davydov, V., Yakovlev, K., Panov, A.I.: Hybrid Policy Learning for Multi-Agent Pathfinding. IEEE Access. 9, 126034–126047 (2021).

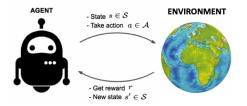
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Model-based RL

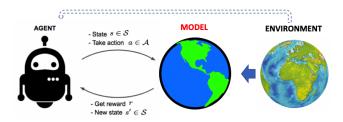


Model-based RL setting

Model-free setting



Model-based setting



Formal setting

Lets $\langle S, A, T, R, G, \gamma \rangle$ – Markov decision process, where:

- S state space,
- A the set of actions (discrete or continuous),

•
$$T: S \times A \rightarrow S$$
 – transition function,

- $R: S \times A \rightarrow \mathbb{R}$ reward function,
- $G: S \to \{0,1\}$ goal function defining termination state,
- γ discounting factor.

The agent has access to an updatable model $M = \langle \hat{T}, \hat{R} \rangle$ and can build a plan to achieve the goal $G(s_{n+1}) = 1$ by modeling transitions:

$$Plan = < s_i, r_i, a_i, \hat{s}_{i+1}, \hat{r}_{i+1}, a_{i+1}, \dots, a_{i+n}, \hat{s}_{i+n+1} >$$

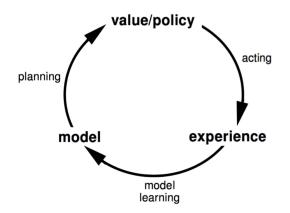
Agent's goal – maximize expected return by policy π :

$$\mathbb{E}_{\pi} \sum_{t=0}^{\tau} \gamma^{t} R(s_{t}, a_{t})$$



Model-based RL: simple realization





Model representation



- The model M MDP representation $\langle S, A, T, R
 angle$ parameterized by η
- Suppose that the set of states S and the set of actions A are known
- For this case the model $\mathcal{M} = \langle \hat{T}_{\eta}, \hat{R}_{\eta} \rangle$ represents a function $\hat{T}_{\eta} \approx T$ and a reward function $\hat{R}_{\eta} \approx R$:

$$s_{t+1} \sim \hat{T}_{\eta}(s_{t+1}|s_t,a_t),$$

$$r_{t+1} = \hat{R}_{\eta}(r_{t+1}|s_t, a_t)$$

• It is usually assumed that the functions of transitions and rewards are conditionally independent:

$$\mathbb{P}[s_{t+1}, r_{t+1} | s_t, a_t] = \mathbb{P}[s_{t+1} | s_t, a_t] \mathbb{P}[r_{t+1} | s_t, a_t]$$

Model learning



- **Goal**: evaluate a model M_η using experience $\{s_1, a_1, r_2, \ldots, s_t\}$
- Supervised learning tasks:

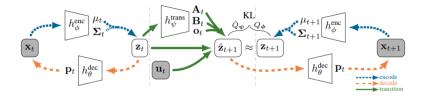
 $s_1, a_1 \rightarrow r_2, s_2$ $s_2, a_2 \rightarrow r_3, s_3$ \vdots $s_{t-1}, a_{t-1} \rightarrow r_t, s_t$

- Learning a mapping $s, a \rightarrow r$ the task of *regression*
- Learning a mapping $s, a \rightarrow s'$ the task of *probability density* estimate
- Choose a **loss function**, for example, the root-mean-square error or KL-divergence
- Search for η parameters that minimize the empirical loss function

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E2C algorithm



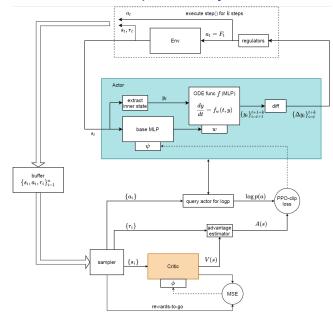


- Images of x_t as observations-states (raw pixels)
- Controlling nonlinear systems
- Variational auto-encoder $h_{\phi}^{enc} + h_{\theta}^{dec}$ as generative model
- In latent space z_t dynamic is linear:
 - ▶ using network h^{trans} to calculate matrices A_t, B_t, o_t and predict the next 2̂_{t+1},
 - apply KL-divergence between \hat{z}_{t+1} and z_{t+1} as a loss function

Watter J. et al. Embed to Control: A Locally Linear Latent Dynamics Model for Control from Raw Images. NeurIPS. 2015.

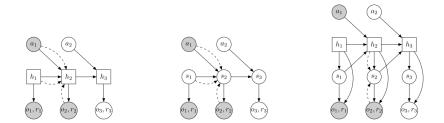
Neural ODE as a model: preliminary schema





Neural networks as world models



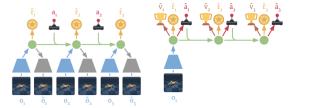


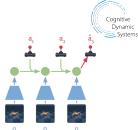
Recurrent state-space model:

- partially observable case and raw feature space,
- dynamics in latent space,
- high computational efficiency

Hafner D. et al. Learning latent dynamics for planning from pixels. ICML. 2019. Hafner D. et al. Dream to Control: Learning Behaviors by Latent Imagination. ICLR. 2020.

Dreamer algorithm





- Model components:
 - representation model $p_{\theta}(s_t|s_{t-1}, a_{t-1}, o_t)$,
 - observation model $q_{\theta}(o_t|s_t)$,
 - reward model $q_{\theta}(r_t|s_t)$,
 - transition model $q_{\theta}(s_t|s_{t-1}, a_{t-1})$
- The model is trained with a variational loss function on mutual information:

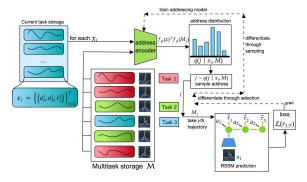
$$I(s_{1:T}; (o_{1:T}, r_{1:T})|a_{1:T}) - \beta I(s_{1:T}, i_{1:T}|a_{1:T})$$

- The agent is trained to maximize the value function along imaginary trajectories
- Experience is collected taking into account the representation model

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Retrospective multitask adaptation



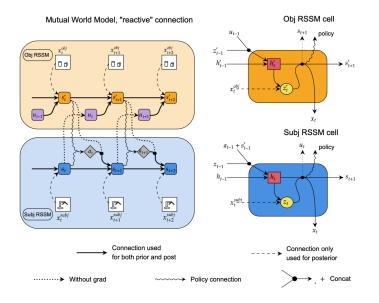


- Adapted RSSM-like world models for a multitask case
- Original addressing mechanism, the training of which can be formalized in the form of a one-step meta-MDP
- Using model-based RL with an addressing mechanism in a photorealistic robotic simulator

Zholus A. et al. Multitask Adaptation by Retrospective Exploration with Learned World Models. 2021.

Dreamer with subject and object layers





Conclusion



- We need to increase the level of autonomy of robots
- Behavior planning can be more adaptive when integrated with learning methods
- Learnable models can be applied for complex tasks when integrated with planning methods
- There are several options for integration: sequential, hierarchical, on-model and dreamy
- We create methods realizing all types of integration:
 - hierarchical planning and learning: MAP-RL, HLPO, HPS, ForgER, POLAMP, HPS,
 - model-based reinforcement learning: neural ODE, RAMA, dual Dreamer
- We develop the unified architecture for simultaneous learning and planning SLAP agent

Collaborators:

Alexey Skrynnik (AIRI), Alexey Staroverov (AIRI), Artem Zholus (MIPT), Andrey Gorodetsky (MIPT), Brian Angulo (Integrant), Konstantin Yakovlev (FRC CSC RAS)

IGLU challenge





- Agent can easily extract information about objects
- Agent should learn to construct more complex objects
- We need to realize some example of object and symbol grounding

https://www.iglu-contest.net/

Special issue on Neural Symbolic Integration

Special Issue "Neural-Symbolic Cognitive Architectures" in Cognitive Systems Research (Q1 in WoS by 2021 JCR) – August 2021

- Neural-Symbolic Integration approaches
- Symbol grounding problem
- Reinforcement learning methods in cognitive systems
- Hybrid knowledge representation
- Vector-symbolic architectures
- Applied semiotics and semiotic cognitive architectures
- Cognitive and Social Robotics
- Integrated models of Learning and Reasoning

- Biologically inspired cognitive architectures
- Emotionally intelligent agents
- Simultaneous Learning and Planning
- Human-analogous active learning
- Artificial and collaborative creativity
- Explainable AI models and systems
- General theory of neural-symbolic computation





Thank you for your attention!

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